

FIG. 1

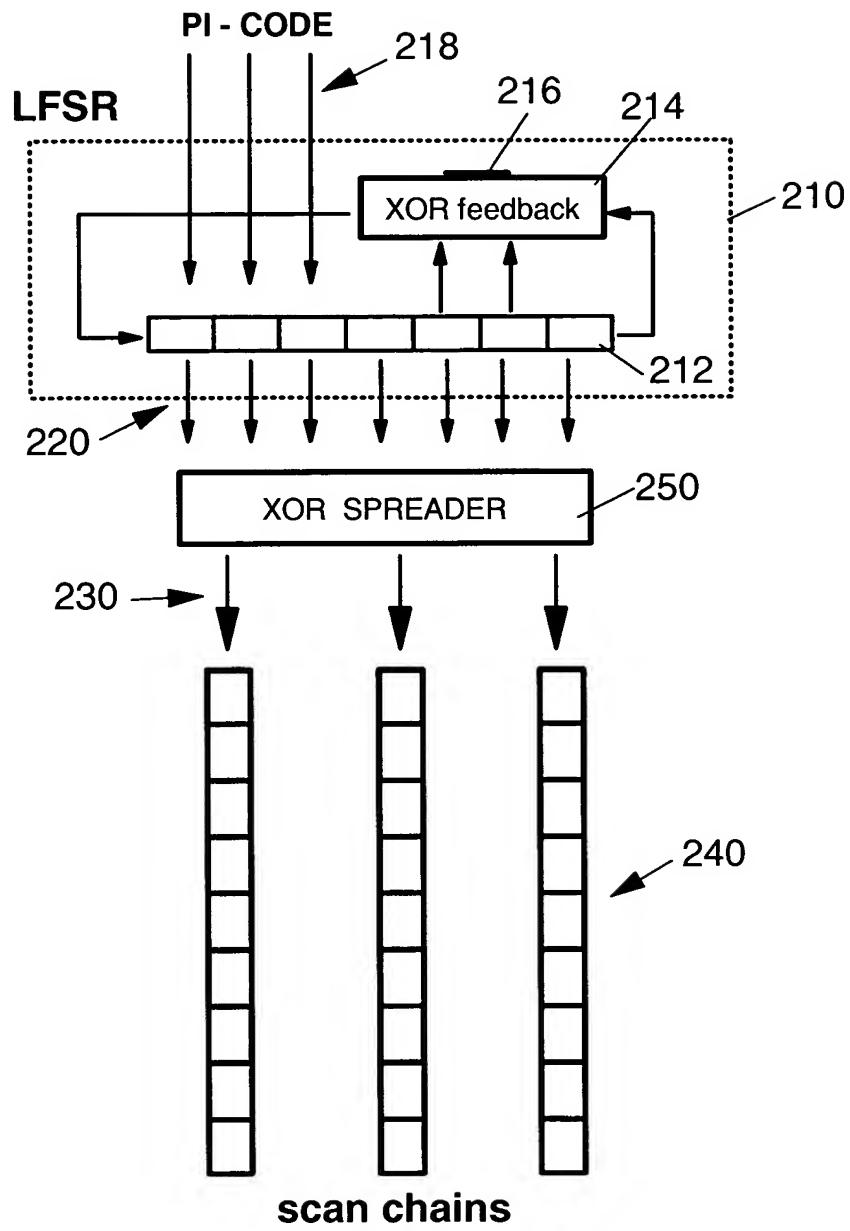
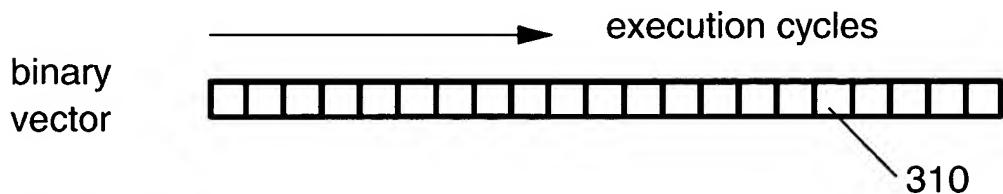


FIG. 2

LFSR Generator Code

representation of LFSR over a certain number of cycles



Chain Access Operator (optional)

representation of XOR-SPREADER

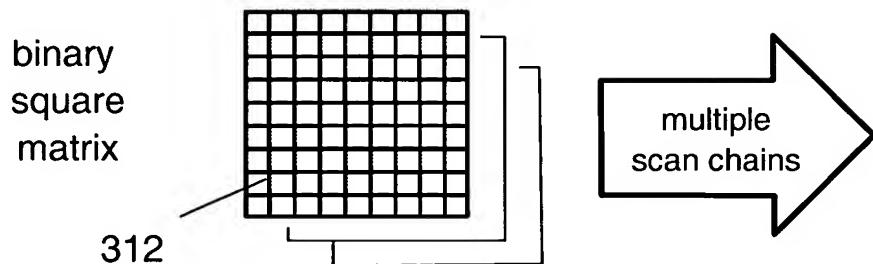


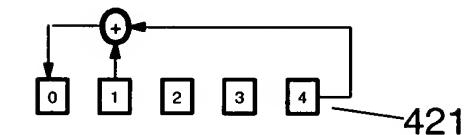
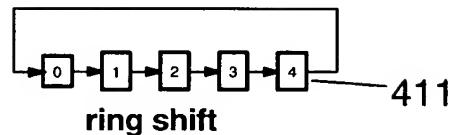
FIG. 3

Vector Operator

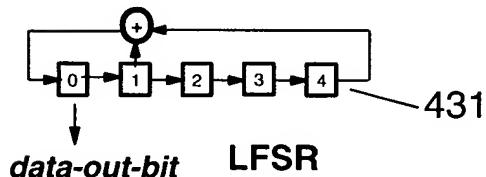
P:	0	0	0	0	1
	1	0	0	0	0
	0	1	0	0	0
	0	0	1	0	0
	0	0	0	1	0

X:	0	1	0	0	1
	0	1	0	0	0
	0	0	1	0	0
	0	0	0	1	0
	0	0	0	0	1

M:	0	1	0	0	1
	1	0	0	0	0
	0	1	0	0	0
	0	0	1	0	0
	0	0	0	1	0

XOR Feedback Logic

XOR 1 + 4 = 0 (no shift)



Vector Operation \wedge : AND
 $+$: XOR

s_0	\circ	b00	b01	b02	b03	b04
s_1		b10	b11	b12	b13	b14
s_2		b20	b21	b22	b23	b24
s_3		b30	b31	b32	b33	b34
s_4		b40	b41	b42	b43	b44

$$\begin{aligned}
 & (s_0 \wedge b00) + (s_1 \wedge b01) + (s_2 \wedge b02) + (s_3 \wedge b03) + (s_4 \wedge b04) \\
 & (s_0 \wedge b10) + (s_1 \wedge b11) + (s_2 \wedge b12) + (s_3 \wedge b13) + (s_4 \wedge b14) \\
 & (s_0 \wedge b20) + (s_1 \wedge b21) + (s_2 \wedge b22) + (s_3 \wedge b23) + (s_4 \wedge b24) \\
 & (s_0 \wedge b30) + (s_1 \wedge b31) + (s_2 \wedge b32) + (s_3 \wedge b33) + (s_4 \wedge b34) \\
 & (s_0 \wedge b40) + (s_1 \wedge b41) + (s_2 \wedge b42) + (s_3 \wedge b43) + (s_4 \wedge b44)
 \end{aligned}$$

FIG. 4

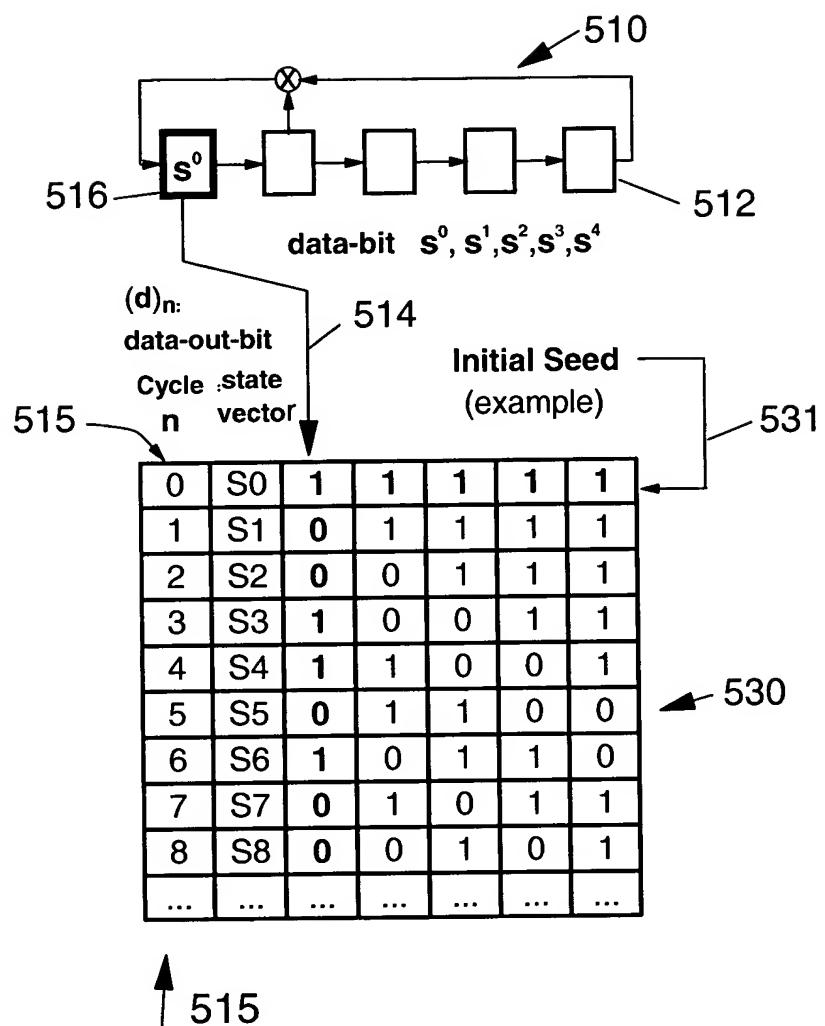


FIG. 5

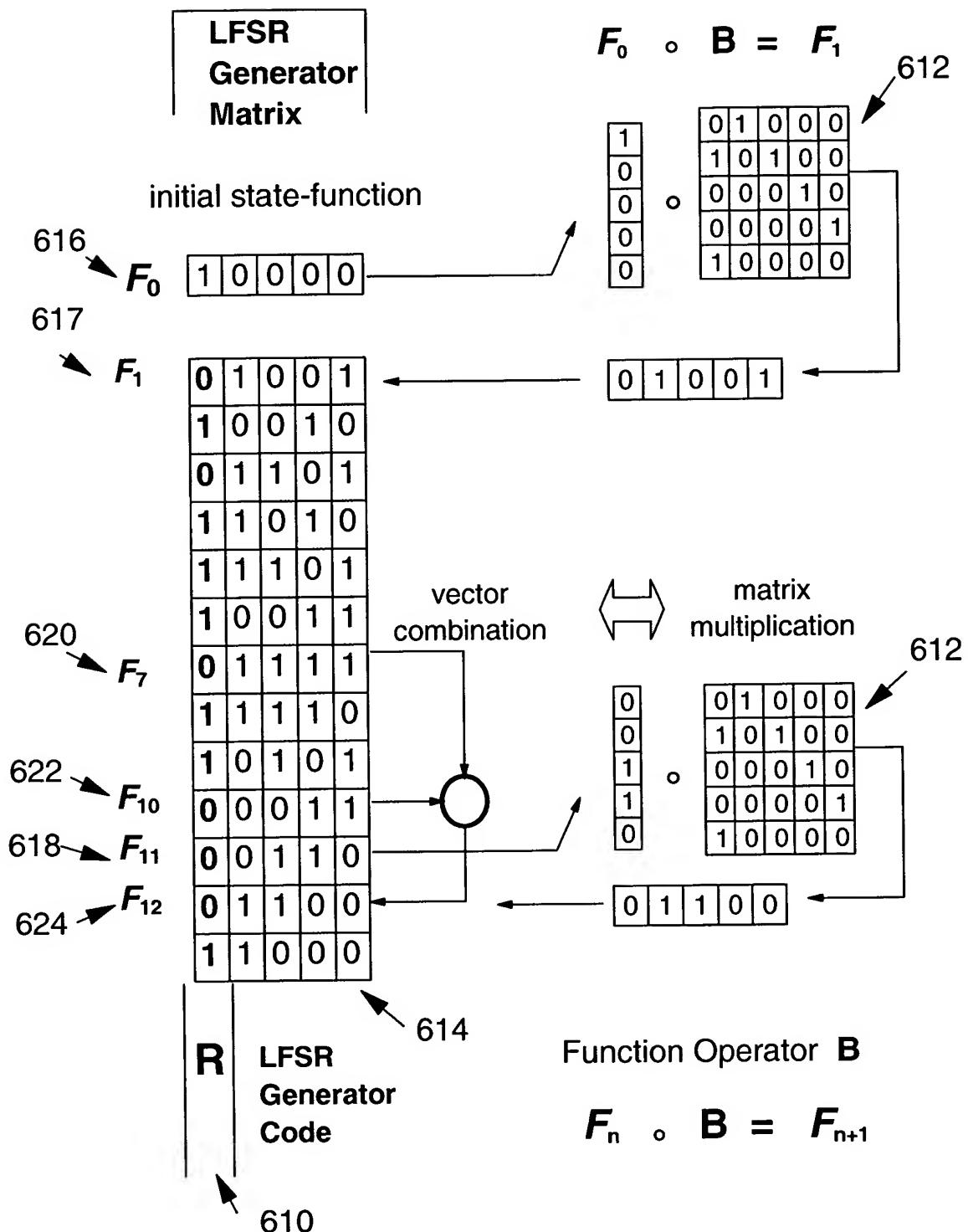


FIG. 6

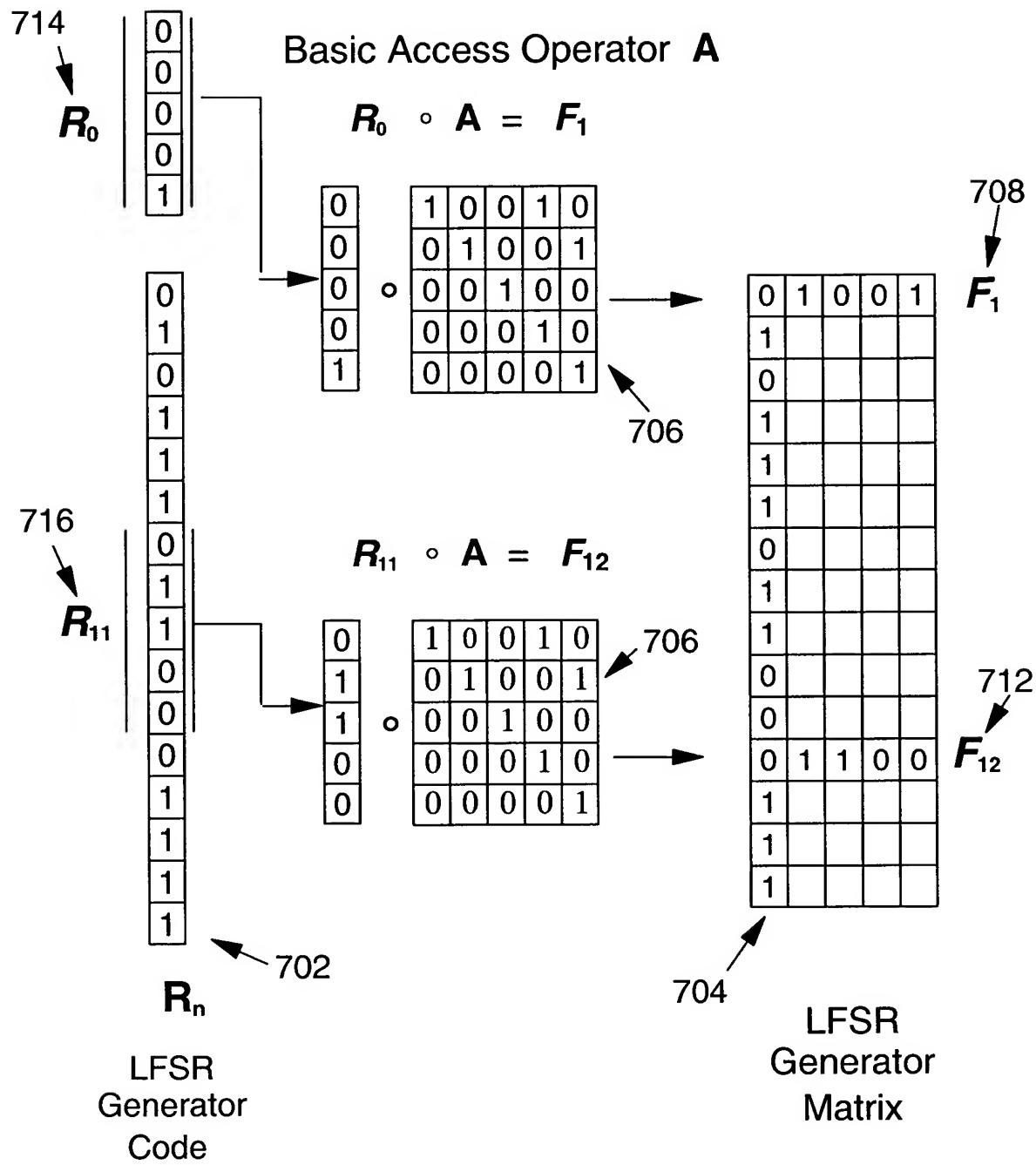
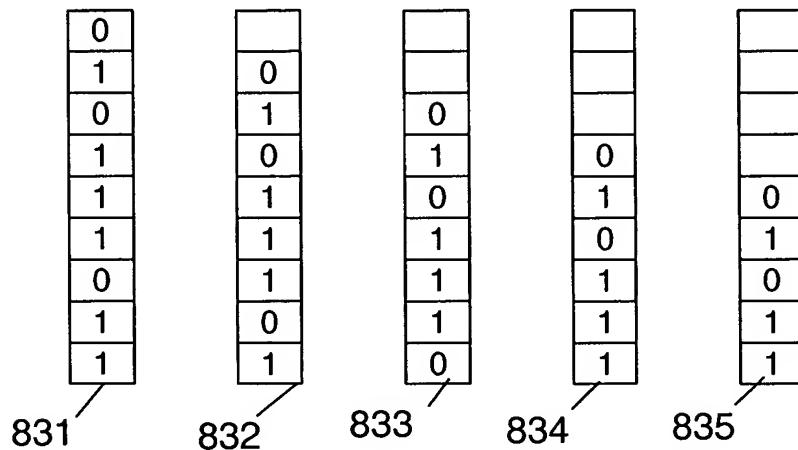
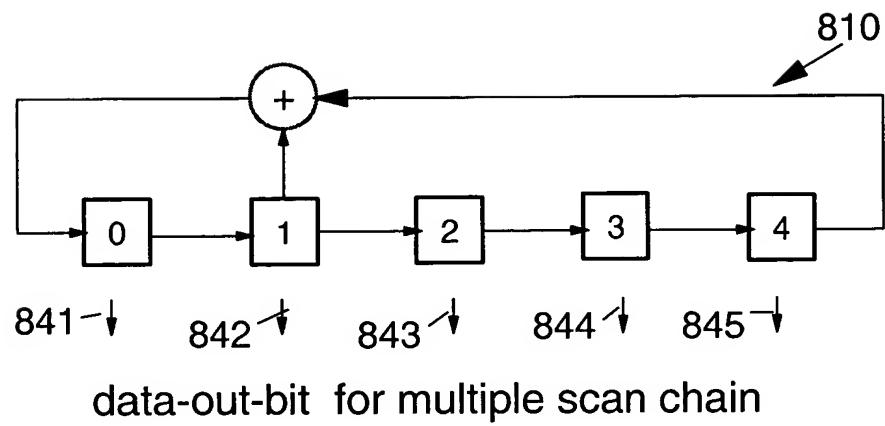


FIG. 7



BIT-Code representation

850 State Function $(F^x)_n = R_n \circ A^x$

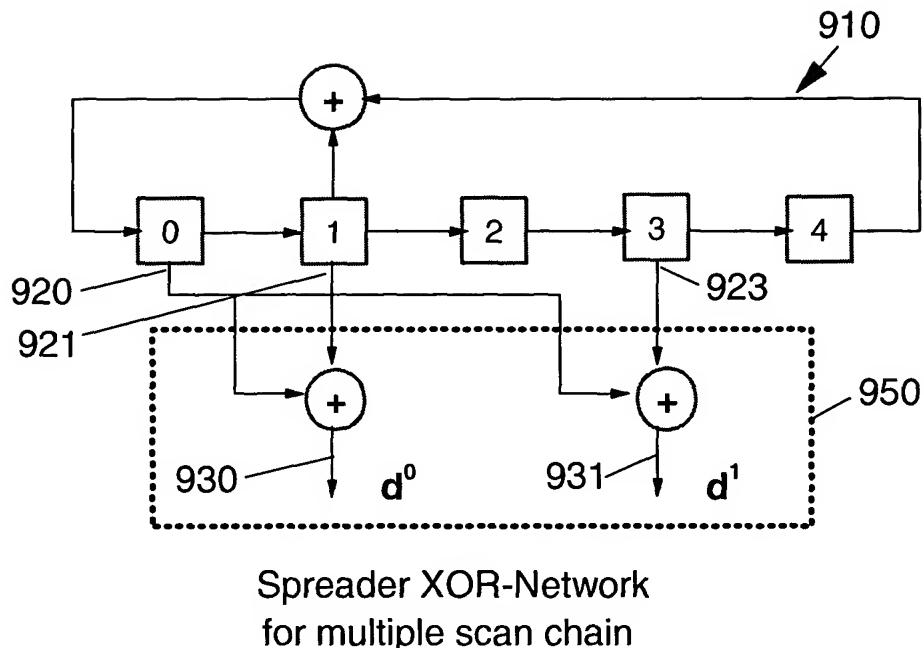
Chain Access Operator $A^x = A \circ P^x$

A Basic Access Operator

P^x Shift Operator for chain $x = 0, 1, 2, 3, 4$

R_n LFSR Generator Code $n = 0, 1, 2, \dots$ cycles

FIG. 8



BIT-Code representation

940 **State Function** $(F^{xy})_n = R_n \circ A^{xy}$

→ **Chain Access Operator** $A^{xy} = A \circ (P^x + P^y)$

A Basic Access Operator

P^x Shift Operator for access $x = 0, 1, 2, 3, 4$

R_n LFSR Generator Code $n = 0, 1, 2, \dots$ cycles

FIG. 9

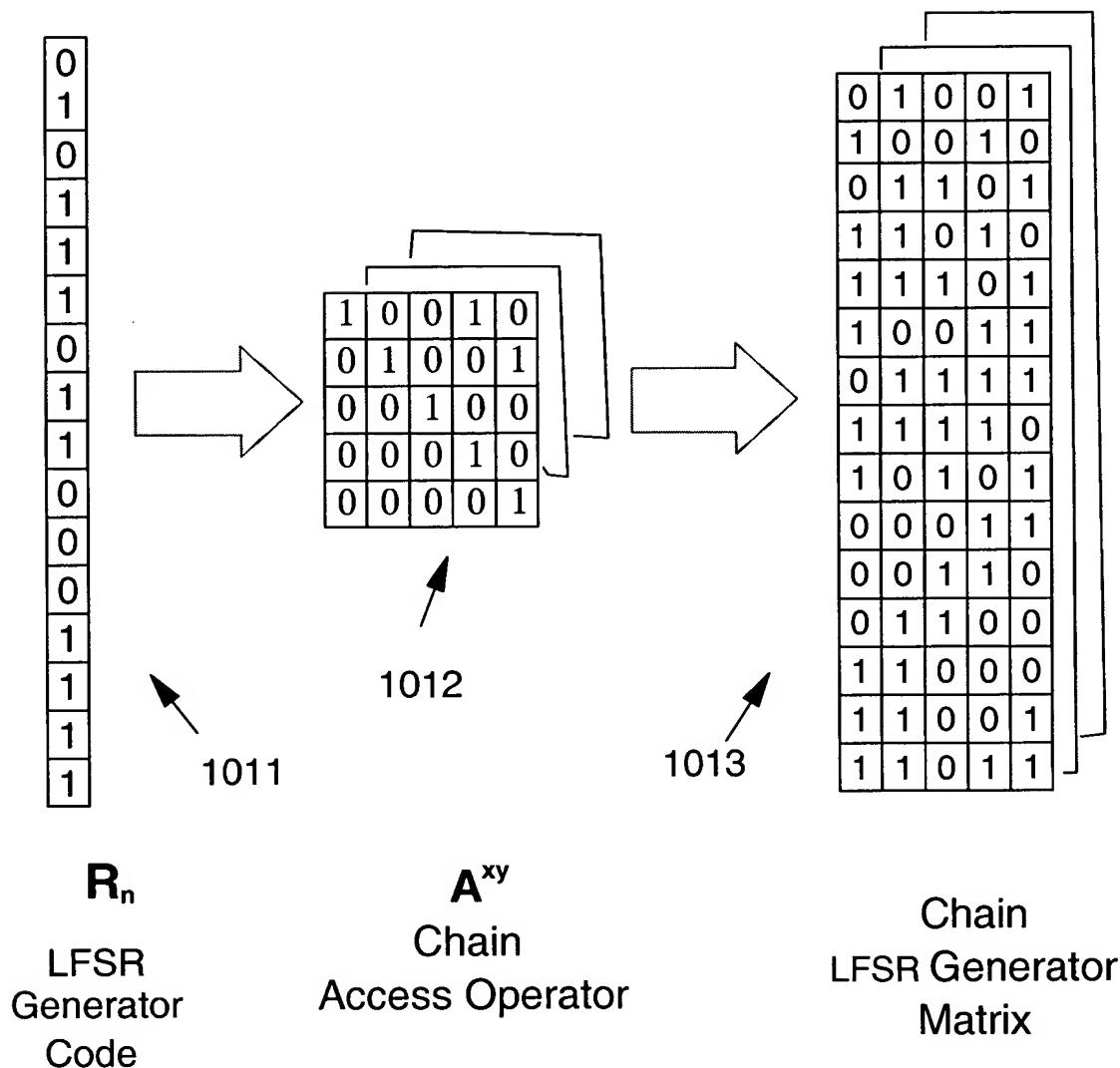


FIG. 10

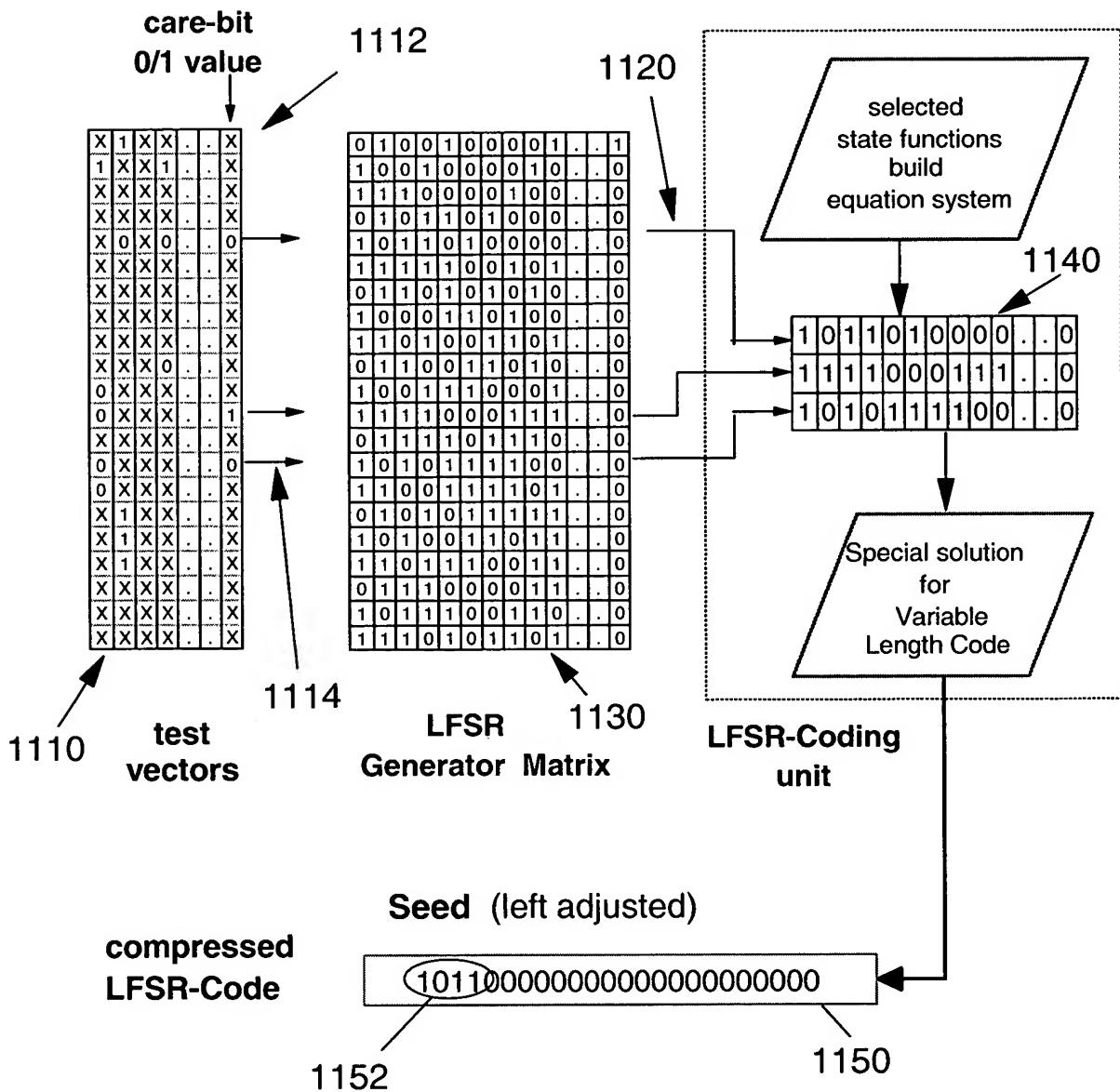


FIG. 11